Programming the Cooperation Tournament

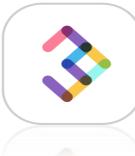
Stefano Balietti

Center for European Social Science Research at Mannheim University (MZES) Alfred-Weber Institute of Economics at Heidelberg University

@balietti | stefanobalietti.com | @nodegameorg | nodegame.org







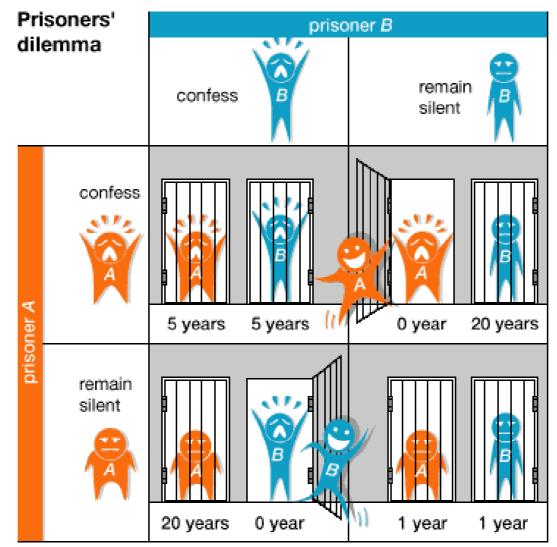
Building Digital Skills: 12-13 March 2020, University of Luzern



Game Theory

- Mathematical framework to model **strategic interactions** of individuals
- Formalizes the notion of finding a "best strategy" (Nash equilibrium) when facing a well-defined decision situation (games)
- Underlying assumption is that individuals optimize their 'payoffs' (or more precisely: 'utility') when faced with strategic decisions
- **Repeated interactions** are interesting for simulations (results can be completely different from one-shot games)

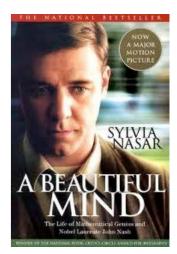
Human Cooperation: Prisoner Dilemma (PD)



© 2006 Encyclopædia Britannica, Inc.

Nash Equilibrium

- Is the strategy that players always play with no regrets: **best response**
- No player has an incentive to deviate from a Nash equilibrium
- In many circumstances, there is **more than one** Nash equilibrium



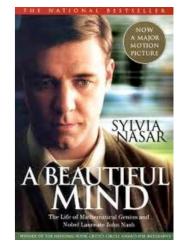


Nash Equilibrium

- Is the strategy that players always play with no regrets: **best response**
- No player has an incentive to deviate from a Nash equilibrium
- In many circumstances, there is more than one Nash equilibrium

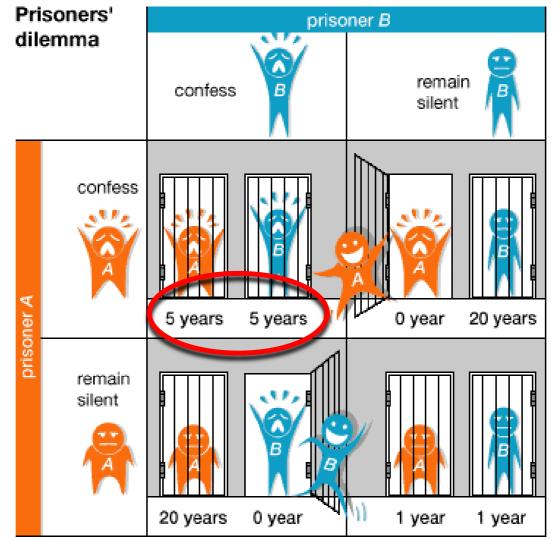
Some Questions:

- Is Nash an **optimal** strategy?
- What is the difference between a Pareto-efficient equilibrium and a Nash Equilibrium?
- Why do players play Nash? Do they?





Human Cooperation: Prisoner Dilemma (PD)



© 2006 Encyclopædia Britannica, Inc.

Why Cooperating in a Prisoner Dilemma?

• If the a Prisoner Dilemma is played only once, there is *no reason to cooperate (for rational individuals)*

- Shadow of the future (discount parameter)
 - if the probability of meeting again is large enough, it is better to be nice...

- Axelrod organized two *computer tournaments*:
 - A number of experts were invited to submit a strategy
 - Each strategy had to play one iterated PD against itself, every other strategy, and the RANDOM strategy
 - The total score of a strategy was the average payoff of all these iterated PDs.
- Different rules for ending the game:
 - *Finite game*: game ends after 200 rounds (*first tournament*)
 - Indefinite game: game continues with a probability of w = 0.99654 (second tournament).

- Winner of the tournament: Tit for Tat
 - be nice: cooperate first
 - then do what your opponent did in the last round (punish defection; reward cooperation)
- Other possible strategies:
 - Always cooperate / always defect
 - Tit for tat, but defect on first round
 - Win–Stay, Lose–Shift: repeat behavior if successful
- Shadow of the future
 - probability that there will be a next round

Nice:

- A nice strategy never defects without being provoked by an opponent's previous defection.
- Nice strategies can realize mutual cooperation with other nice strategies.
- Wouldn't it be better to exploit nice players?
- Yes, but only if nice players do not retaliate!

Retaliatory (Provocable):

- A retaliatory strategy (immediately) defects after an "uncalled for" defection of the opponent
- A retaliatory strategy protects itself from exploitation
- "Challengers" do not profit from a retaliatory strategy
- How can cooperation be restored after a retaliatory reply?

Forgiving:

- A forgiving strategy returns to cooperation after the opponent stopped to defect.
- Avoid "lock-in effects" after a single defection of its opponent.
- Tit for Two Tat

- Cooperation is possible in a Prisoner's Dilemma (PD) and it is based on reciprocity
- Cooperative strategies can be successful in the repeated 2-person PD if these strategies are:
 - nice,
 - retaliatory,
 - forgiving
- and if the (expected) duration of the game is long enough ("shadow of the future").